



DRAFTS: A Deep-learning-based Radio Fast Transient Search Pipeline

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Abstract

The detection of fast radio bursts (FRBs) in radio astronomy is a complex task due to the challenges posed by radio-frequency interference and signal dispersion in the interstellar medium. Traditional search algorithms are often inefficient, time-consuming, and generate a high number of false positives. In this paper, we present DRAFTS, a deep-learning-based radio fast transient search pipeline. DRAFTS integrates object detection and binary classification techniques to accurately identify FRBs in radio data. We developed a large, real-world data set of FRBs for training deep-learning models. The search test on Five-hundred-meter Aperture Spherical radio Telescope real observation data demonstrates that DRAFTS performs exceptionally in terms of accuracy, completeness, and search speed. In the re-search of FRB 20190520B observation data, DRAFTS detected more than 3 times the number of bursts compared to HEIMDALL, highlighting the potential for future FRB detection and analysis.

Unified Astronomy Thesaurus concepts: [Radio transient sources \(2008\)](#); [Convolutional neural networks \(1938\)](#); [Astronomy software \(1855\)](#); [Astronomy databases \(83\)](#)

1. Introduction

Fast radio bursts (FRBs) have emerged as a new focus of research in radio astronomy, characterized by extremely brief instances of radio pulses (D. R. Lorimer et al. 2007). FRBs are of great significance for probing the distribution and evolution of cosmic matter, as well as for the study of fundamental physics (B. Zhang 2023). To date, approximately 800 FRB sources have been reported (J. Xu et al. 2023), the vast majority of which have been observed only once, while a few sources exhibit unusual activity (D. Li et al. 2021; Y.-K. Zhang et al. 2022, 2023). However, their underlying physical mechanisms remain unclear. With increasing global participation and the introduction of new telescopes, it is expected that tens of thousands of FRBs will be discovered in the near future. This creates the challenge of identifying these short-duration transient luminous events within the vast amounts of radio data. Therefore, the development of an efficient algorithm for real-time FRB detection is of paramount importance.

The search for FRBs can be considered a task of extracting signals with certain characteristics from noise and interference. Figure 1 displays the data from two FRBs collected by a radio telescope, with intense radio-frequency interference (RFI) present in both data segments, such as the persistent signals near 1200–1300 MHz. In addition to the interference demonstrated in these two data segments, there are more complex types of RFI that actually exist. RFI can be categorized based on variability and frequency range into time-variable RFI/frequency-variable RFI, narrowband interference, and broadband interference. The sources

of RFI are diverse, including cell phones, power lines, artificial satellites, lightning, etc., and represent a common problem for all radio telescopes worldwide. Since the interference signals are closer to the telescope than astronomy signals, their intensity is usually orders of magnitude higher than that of astronomy signals, which can cause the latter to be obscured.

The characteristic that distinguishes FRB signals from RFI is dispersion. Dispersion occurs as radio signals propagate through the interstellar medium where the speed of signals varies across frequencies, resulting in signals that typically last only a few milliseconds being stretched by a factor of thousands. Consequently, the energy, which would have been concentrated, is dispersed over several seconds of data, causing the signal to become submerged in noise and be difficult to detect. The relationship between time delay and frequency is quadratic, forming a parabola, and can be calculated by the following equation:

$$t_{\nu_2} - t_{\nu_1} \approx 4.15 \times 10^3 \times \text{DM} \times \left[\left(\frac{1}{\nu_2} \right)^2 - \left(\frac{1}{\nu_1} \right)^2 \right] \quad (1)$$

where $t_{\nu_2} - t_{\nu_1}$ (in seconds) denotes the time delay between two observation frequencies, ν_1 and ν_2 (in MHz). The term DM (in pc cm^{-3}) represents the dispersion measure, which quantifies the integrated column density of free electrons along the signal's propagation path. Hence, radio signals emanating from different locations in the Universe will have different DM values, leading to varying time delays. We can identify the presence of strong signals from Figure 1, where the time delay of the signal at different frequencies takes on a parabolic form. Bursts originating from different locations in the Universe manifest as parabolas of different curvatures in such data. However, weak



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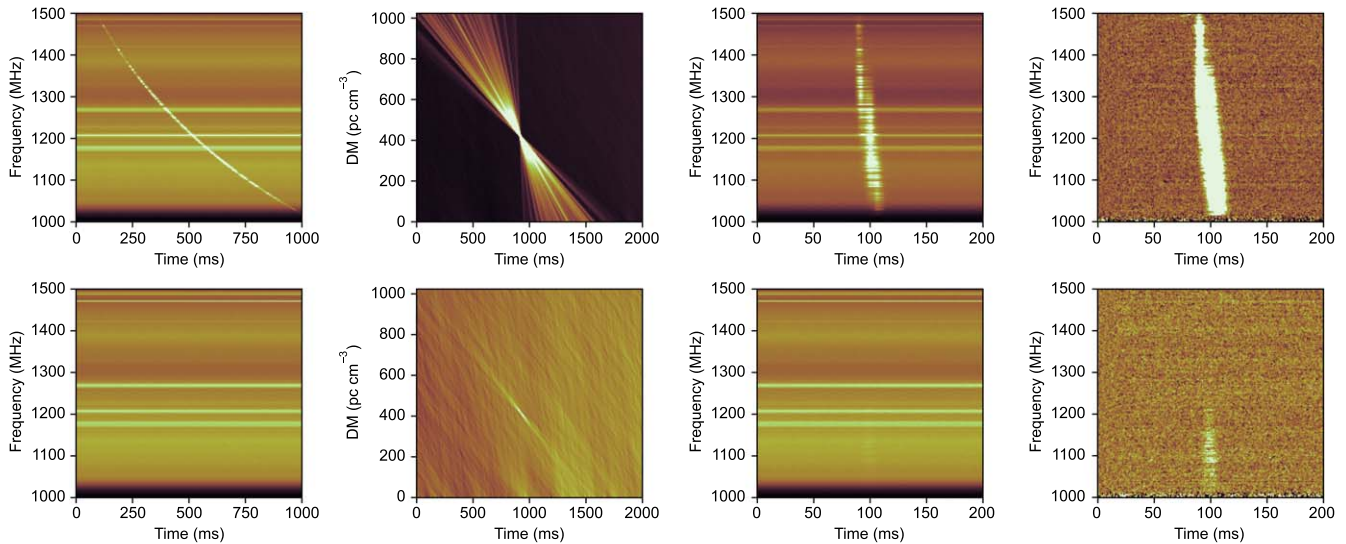


Figure 1. Radio data of two FRBs. The top and bottom rows show signals of two bursts, one strong and one weak, respectively. From left to right, the first column displays the original data from the radio telescope, with time on the horizontal axis and frequency on the vertical axis. The second column presents the time–dispersion measure (DM) signals obtained after dedispersing the original data using a series of DM values. The third column shows the time–frequency data after dedispersion with the optimal DM value. The fourth column depicts the time–frequency data after RFI mitigation from the data in the third column.

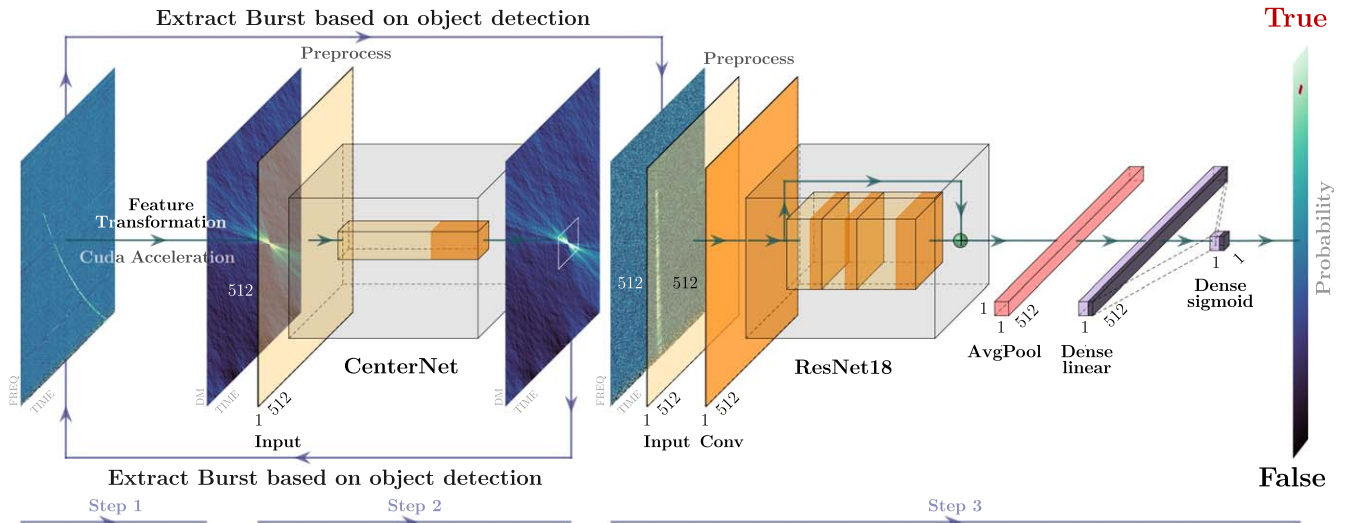


Figure 2. The workflow of DRAFTS. The purple line segments below the figure divide the workflow into three steps, which are detailed in Section 3.

bursts are submerged and indistinguishable within the data, and such weak signals are much more frequent than strong bursts.

Therefore, the challenge is to identify faint parabolic-shaped signals from radio data amidst RFI. In this paper, we present DRAFTS,⁹ a deep-learning-based radio fast transient search pipeline, designed for real-time detection of FRBs. DRAFTS is a multistage pipeline that integrates object detection and binary classification to efficiently identify FRBs, as illustrated in Figure 2. Trained on an extensive data set containing both real FRBs and non-FRB signals, DRAFTS demonstrates high performance in terms of detection speed, accuracy, and completeness.

The pipeline’s ability to quickly detect FRBs is crucial for advancing scientific discovery, which allows for timely follow-

up observations, enhancing our ability to study the dynamic properties of FRBs and their environments (E. Petroff et al. 2022). Moreover, DRAFTS’ high completeness ensures a more thorough detection of faint and rare FRBs, which are critical for understanding the statistical properties of these phenomena (Y.-K. Zhang et al. 2024). A more complete data set enables robust statistical analyses, helping to uncover the origins of FRBs and explore their connection to other cosmic processes (B. Zhang 2023). This comprehensive approach will support future investigations into the distribution, evolution, and physical mechanisms behind FRBs, ultimately contributing to our broader understanding of the Universe.

2. Related Works

2.1. Traditional Methods

In traditional search algorithms, the process generally includes the following steps (J. M. Cordes & M. A. McLaughlin 2003). Based on a threshold to eliminate RFI, a series of DM grids are

⁹ The code for DRAFTS is available on GitHub at <https://github.com/SukiYume/DRAFTS>. The training data sets are available on Hugging Face at <https://huggingface.co/datasets/TorchLight/DRAFTS>. The trained models are available on Hugging Face at <https://huggingface.co/TorchLight/DRAFTS>.

set, and the data is dedispersed accordingly. After that, integration along the frequency direction yields a time series for that DM value. Different widths of boxcar filters are used to match the time series, and the signal-to-noise ratio (S/N) is calculated. Finally, signals that exceed the S/N threshold are selected as candidate signals. Many current tools are based on this process, such as PRESTO (S. M. Ransom 2001) and HEIMDALL (B. R. Barsdell et al. 2012). This also constitutes the mainstream method for searching for FRBs.

This method is very intuitive and aligns well with our empirical approach to data processing. However, it strongly depends on both the algorithm used for interference mitigation and the choice of parameters. During data processing, interference that cannot be eliminated might remain, and new artificial data interference can be introduced as a result of the interference mitigation process. Additionally, the computational complexity is very high, with a lot of redundant calculations, and the same signal can be detected on different DM values, leading to inefficient operation. This ultimately results in incomplete outcomes and the generation of numerous false signals, requiring manual intervention in the data-processing procedure and selection of real signals from among many false positives. Therefore, this methodology cannot meet the demands of the increasing data volumes expected in the future.

2.2. Deep-learning Methods

With the progress of machine learning, especially deep learning in recent years, more researchers are utilizing deep-learning methods to address the issues inherent to traditional approaches. In radio astronomy, deep learning has been widely applied to problems such as the classification of radio galaxies (K. Brand et al. 2023), the elimination of RFI (J. Akeret et al. 2017), and the reconstruction of radio images (A. Dabbech et al. 2024). A problem like ours, which involves searching for a specific pattern in two-dimensional data, can be addressed as a computer vision problem.

Some researchers, acknowledging the large number of false signals generated by traditional search methods, have attempted to apply deep-learning techniques for the binary classification of detected candidate signals as genuine or spurious (L. Connor & J. van Leeuwen 2018; D. Agarwal et al. 2020). These methods have reduced the manual workload required for signal verification to some extent and have improved the efficiency of the search process. However, they do not address other issues associated with traditional search algorithms, particularly the problem of search incompleteness.

Furthermore, there are also attempts to use deep-learning models to directly detect “parabolic” signals in raw data (Y. G. Zhang et al. 2018; Y.-L. Liu et al. 2022). However, there are two main problems with this approach. First, weak signals, which are stretched over time, can be inconspicuous in images, making this search method prone to missing such faint signals. The second issue is the variability in the curvature of the parabolic trails in the imagery due to the different DMs associated with FRBs emanating from various locations. This variability makes it challenging to fix the length of input data in a blind search, as incomplete coverage of a burst event in the input data could lead the model to overlook the signal. Additionally, even when a signal is detected, the method identifies only its arrival time in the data set and does not

provide dispersion values, calling for further processing to fully characterize the burst.

2.3. Object Detection

Object detection is one of the most critical branches in the field of computer vision and has a wide range of applications in daily life, such as video surveillance and autonomous driving. It aims to understand the visual content within digital images or videos. Object detection not only identifies the categories of objects in the image but also locates their positions within it. In recent years, along with the rapid development of deep-learning networks, the performance of object detectors has been significantly improved (L. Jiao et al. 2019).

Within the realm of deep-learning object detection methods, there are generally two types: anchor-based and anchor-free methods. Anchor-based methods, such as the RCNN series (R. Girshick et al. 2014; R. Girshick 2015; S. Ren et al. 2015; K. He et al. 2017) and YOLO series (J. Redmon et al. 2016; J. Redmon & A. Farhadi 2018; A. Bochkovskiy et al. 2020; Z. Ge et al. 2021; C. Li et al. 2022; C.-Y. Wang et al. 2022, 2024), operate by predefining a series of fixed boxes (known as anchors) in the image and then predicting the position and categories of objects based on these anchors. Although this method performs well, it has certain limitations. For example, detection performance is highly sensitive to the size, quantity, and aspect ratio of anchors; fixed-size anchors lead to lower detection performance for small-scale objects. Moreover, to match the actual object boxes, it is necessary to enumerate all the possible positions and sizes of targets, leading to sample imbalance and a significant waste of computation.

In contrast, anchor-free methods abandon the predefined anchor approach and directly predict the key points of objects to determine their positions. These methods simplify the model structure and reduce computational load, offering faster detection speeds. CenterNet is a typical anchor-free object detection model (X. Zhou et al. 2019). It locates and recognizes objects by detecting the central point of each object in the image and regressing from the center point to the target size. CenterNet does not require complicated anchor-box setups and does not rely on complex candidate region proposal steps, making the model structure more straightforward and significantly reducing computational costs during training and inference. Additionally, CenterNet exhibits greater robustness in detecting small and densely distributed objects. And indeed what we need is precisely the target’s central point, which is where CenterNet excels. Therefore, we choose to use CenterNet as our model for the object detection stage.

2.4. Image Classification

Image classification, which is also a fundamental task in computer vision, has undergone significant advancements over the past few decades. The evolution of this field has been marked by several key milestones and technological breakthroughs, particularly in the era of deep learning (W. Rawat & Z. Wang 2017). The resurgence of convolutional neural networks (CNNs) began in 2012 with the introduction of AlexNet (A. Krizhevsky et al. 2012). This deep-CNN architecture achieved unprecedented accuracy in the ImageNet data set (J. Deng et al. 2009), significantly outperforming traditional methods. This watershed moment sparked a renewed

interest in deep learning for image classification and initiated a period of rapid development in the field.

Following AlexNet, a series of increasingly sophisticated CNN architectures were proposed, each pushing the boundaries of image classification performance. Notable examples include VGGNet (K. Simonyan & A. Zisserman 2014), GoogLeNet (C. Szegedy et al. 2015), and ResNet (K. He et al. 2016). These developments not only improved classification accuracy but also enhanced the efficiency and scalability of CNN models. The progress in CNN architectures was accompanied by advancements in optimization techniques, regularization methods, and data augmentation strategies, further boosting performance (Z. Lu et al. 2021).

In recent years, the focus has shifted toward developing more efficient and compact models for real-world applications. This has led to the emergence of architectures like MobileNet and EfficientNet, which prioritize computational efficiency without significantly compromising accuracy (A. G. Howard 2017). The rapid evolution of image classification techniques has had far-reaching implications across various domains.

ResNet, as one of the most reliable and widely used architectures for image classification tasks, has been proven effective across various applications due to its ability to mitigate the vanishing gradient problem through the introduction of residual connections. In this work, we also adopt ResNet as the backbone architecture for the second stage of the DRAFTS pipeline.

3. Method

DRAFTS identifies the arrival time and DM of signals within the data. This approach addresses the incompleteness, low operation efficiency, and dependence on manual inspection of a large number of false signals characteristic of traditional methods. The flowchart of our search pipeline is shown in Figure 2.

Note that in Figure 1’s fourth column, the signal’s S/N is highest and the width is narrowest when the data is dedispersed with the correct DM value. As the DM value deviates from the optimum, the S/N of the signal decreases, and the width of the signal broadens. Hence, in the time–DM plot (Figure 1’s third column), bursts manifest a “bow-tie” pattern. The coordinates at the center of the “bow tie” correspond to the burst’s arrival time and DM value.

Accordingly, in this pipeline,

1. We apply a range of DM values to dedisperse the data, transforming the original time–frequency data into time–DM data. During this process, we use `numba.cuda` (S. K. Lam et al. 2015) for acceleration. Tests have shown that `numba.cuda` can reduce the dedispersion-processing time on an RTX 2070S to one-thousandth of the same processing time on an Intel i7-10700K.
2. Subsequently, the time–DM data is fed into a pretrained object detection model (here CenterNet X. Zhou et al. 2019) to detect the signal’s arrival time and DM value. At this step, instead of converting data into image files and reading it into the model for detection, we directly input the data stream, saving input/output time.
3. Based on the arrival time and dispersion measure found through object detection, the signal is extracted from the original data, and a pretrained classification model (here ResNet K. He et al. 2016) is employed to determine the authenticity of the signal.

Table 1
Example Labels for Data Used in Object Detection

File Name	Frequency Slice	Time Center	DM Center	Time Width	DM Height
0000.npy	0	7743.7	564.66	7613.21	627.03
<i>0000.npy</i>	1	−1.0	−1.0	−1.0	−1.0
0000.npy	2	7766.73	554.11	7551.8	657.74
0001.npy	0	628.03	552.19	221.21	602.09
0001.npy	1	612.68	554.11	259.59	594.41
0001.npy	2	−1.0	−1.0	−1.0	−1.0
0002.npy	0	1134.65	551.23	1011.84	619.36
0002.npy	1	−1.0	−1.0	−1.0	−1.0
0002.npy	2	1142.33	552.19	973.46	625.11
0003.npy	0	2347.46	548.35	1909.93	603.05
0003.npy	1	2339.79	548.35	1963.66	592.49
0003.npy	2	−1.0	−1.0	−1.0	−1.0
0004.npy	0	5609.77	548.35	5348.79	591.53
0004.npy	0	7567.16	558.91	7267.79	634.71
0004.npy	1	5602.09	551.23	5287.38	592.49
0004.npy	1	7582.51	553.15	7359.9	598.25
0004.npy	2	5617.45	550.27	5533.01	590.57
0004.npy	2	7620.89	552.19	7382.93	609.76
0005.npy	0	3867.31	551.23	3690.77	608.8
0005.npy	1	−1.0	−1.0	−1.0	−1.0
0005.npy	2	3844.29	547.39	3721.47	611.68

Note. The two rows in bold represent examples where multiple bursts are labeled in the same file, while the row in italic shows an example where no bursts were found in the frequency slice of that file.

The use of object detection ensures that the same signal is not repeatedly detected, and the occurrence of false signals is rare. Even if a false signal is detected, it will undergo secondary validation by the classification model, meaning that manual inspection is virtually unnecessary, and search efficiency is greatly enhanced.

It is also worth mentioning that for follow-up observations of FRBs with known DM values, one could rely solely on the classification model for detection. We could first uniformly dedisperse the observation data according to its specific DM value and then segment the data, allowing the classification model to directly determine whether there are signals similar to those in Figure 1’s fourth column within the data slices.

3.1. Data and Augmentation

Object detection. To train our object detection model, we utilized a data set comprising 2728 bursts detected by the Five-hundred-meter Aperture Spherical radio Telescope (FAST) from FRB 20121102A (D. Li et al. 2021) and FRB 20220912A (Y.-K. Zhang et al. 2023).

We began by dedispersing the original time–frequency data with dispersion measures ranging from $1\text{--}1024\text{ pc cm}^{-3}$, with a step size of 1 pc cm^{-3} , totaling 1024 DM values. During the process of dedispersion, we divided the data into three frequency slices: low frequency (1000–1250 MHz), high frequency (1250–1500 MHz), and full frequency (1000–1500 MHz). This division enhances the detection of narrowband bursts, allowing us to capture signals that may only appear within a specific frequency range.

After segmenting the time–DM data, we performed manual labeling. The labels for files can be seen in Table 1, where each row corresponds to a burst. The same file name may appear multiple times, indicating multiple bursts within the same file.

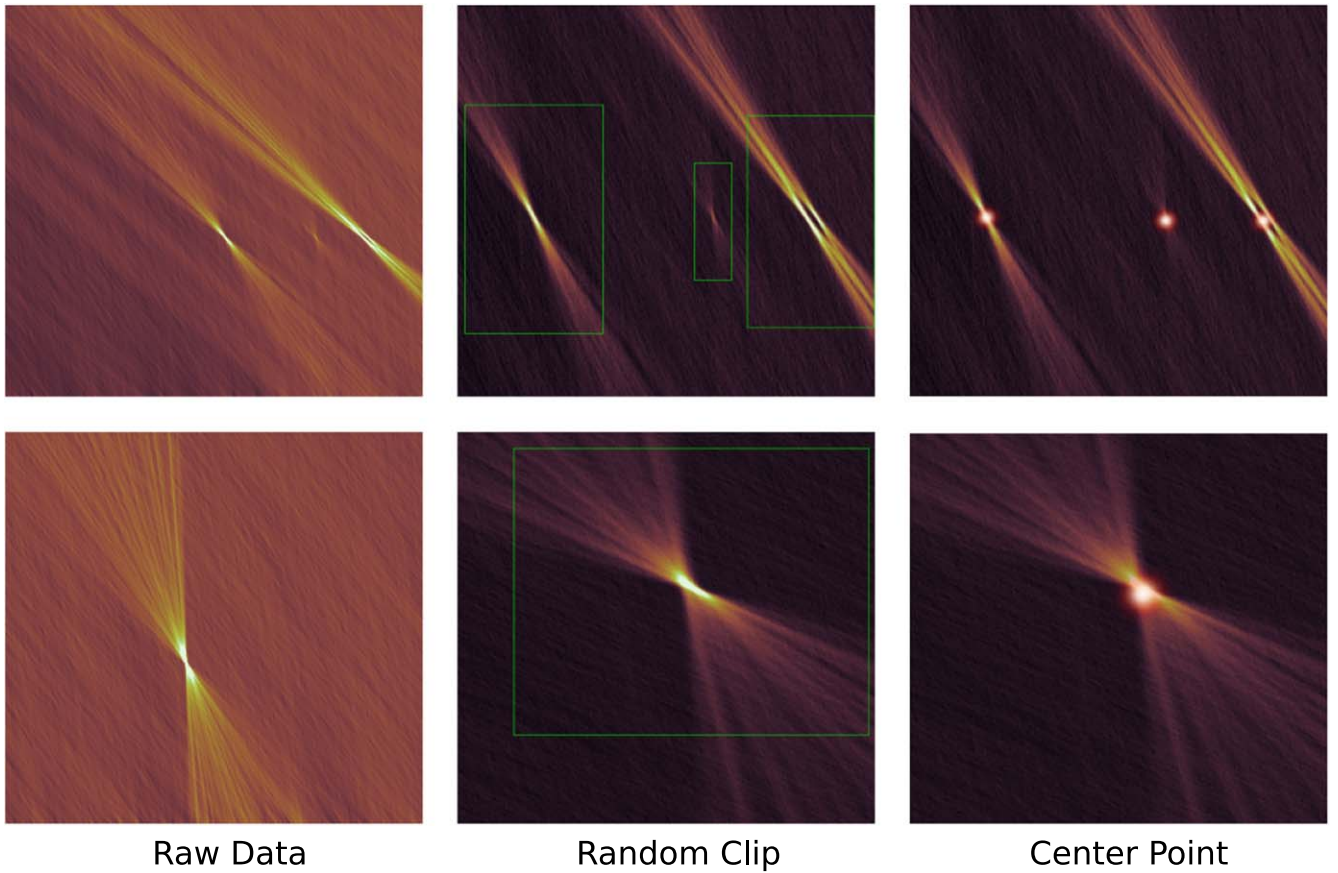


Figure 3. Data augmentation for object detection—random clipping. The figure illustrates the process of random clipping applied to the input data. The first column displays the original input images, the second column shows the images after random cropping with green boxes indicating the ground-truth labels, and the third column presents the center points after Gaussian scattering, which are used for CenterNet training.

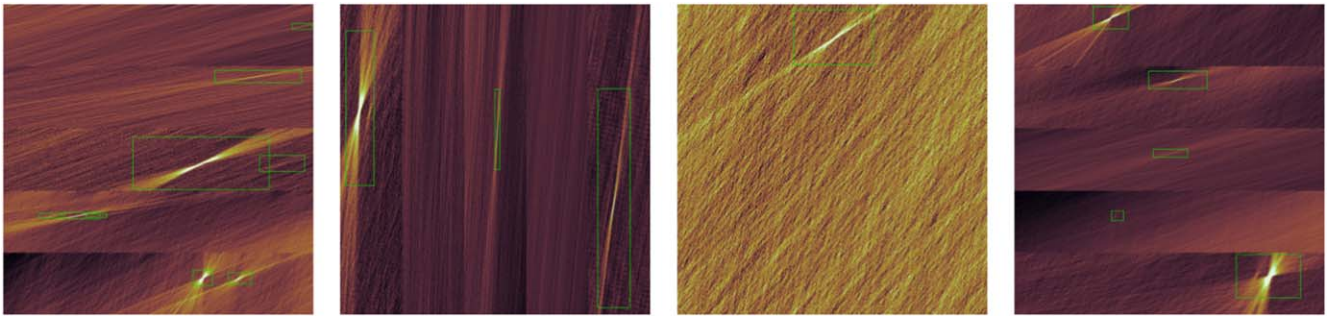


Figure 4. Data augmentation for object detection—random combination. This figure demonstrates four examples of the random combination applied to the training data.

The labels include the frequency slice, center point of the burst in the data, along with the half-width and half-height of the burst. For frequency-slicing labels, 0 represents the full frequency, 1 denotes the low-frequency slice, and 2 indicates the high-frequency slice. A label of $-1, -1, -1, -1$ indicates that there was no burst in the file.

During training, we standardized the transformation of images to a size of 512×512 . To ensure that the model’s training results are robust, transferable, and capable of detecting signals of various shapes, we increased data variability by applying random cropping (as shown in Figure 3), and random combining of one to five files (as shown in Figure 4).

Binary classification. To train our classification model, we also utilized the data set of 2728 bursts detected by FAST. This time

we rely on the time–frequency data after dedispersion. We uniformly process the original data using a DM value of 565 pc cm^{-3} for FRB 20121102A and 220 pc cm^{-3} for FRB 20220912A for dedispersion, and isolate the data segments containing bursts for training purposes. We then perform data augmentation to increase the diversity of the data, as shown in Figure 5. The augmentation process includes the following steps:

1. Each frequency channel of the data is divided by its mean value, and the data’s numerical range is confined to its 10%–90% dynamic range to boost the S/N as much as possible.
2. Randomly combine one to five images into a single image to increase the robustness and generalizability of the model. Figure 5 illustrates the case of merging three

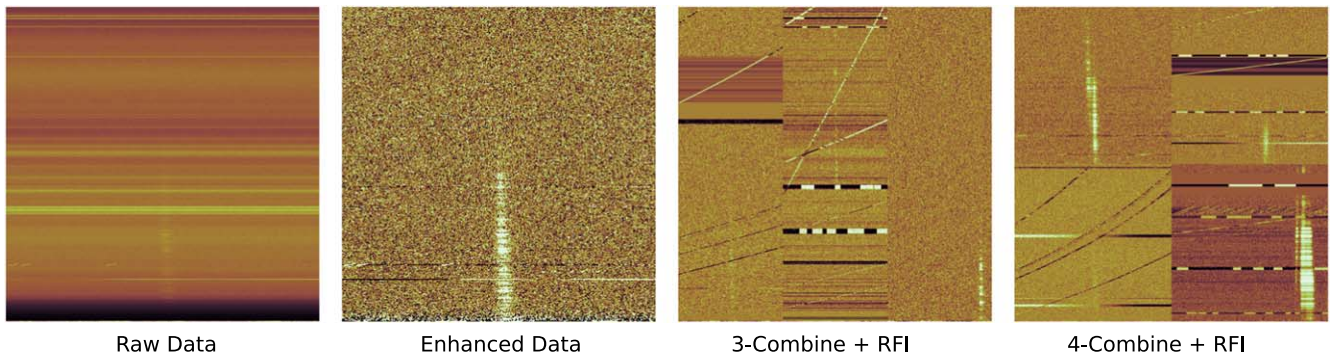


Figure 5. Data augmentation for binary classification. The first column is the input data, the second column is the data after enhancement, and the third and fourth columns are the data after adding interference and randomly combining.

Table 2
Training Parameters for CenterNet

Parameter	Value
Batch Size	4
Learning Rate (LR)	1e-3
Number of Epochs	100
Warm-up Epochs	5
Initial Warm-up LR	1e-5
Minimum LR	1e-5

and four images; if there are four images, they are randomly combined horizontally, vertically, or in a 2×2 configuration. In other instances, images are randomly concatenated along either the horizontal or vertical axis.

- Artificial interference is introduced into the data using random numbers to avoid the inability of a limited data set to cover as many RFI morphologies as possible, which would result in the model failing to generalize to new data or data from other telescopes. The interference we add includes broadband interference with a DM of 0 pc cm^{-3} , narrowband interference that varies over time or is invariant with time, as well as some random scatter points.
- Randomly rotate and flip the images.

All training data are finally transformed to a size of 512×512 .

3.2. Training and Inference

For object detection, we constructed a minimal implementation of CenterNet based on PyTorch (A. Paszke et al. 2019). The input is data with dimensions of $1 \times 512 \times 512$. The chosen backbone for the network is ResNet18, with a comparative use of ResNet50. The output is an array with a size of $5 \times 128 \times 128$, where the first channel represents the center point, the subsequent two channels denote width and height, and the final two channels correspond to the offset of the center point. Since CenterNet predicts object centers on a 128×128 heatmap, which is a “ $4 \times$ downsampling” of the original 512×512 data, each cell on this heatmap corresponds to multiple pixels in the original data. This “downsampling” can lead to inaccuracies in center-point prediction. The offset is used to correct these potential localization errors, enhancing the precision of object-center predictions. Consequently, the loss

function of CenterNet is comprised of these three components

$$\mathcal{L} = \mathcal{L}_{\text{center}} + \lambda_{\text{size}} \mathcal{L}_{\text{size}} + \lambda_{\text{offset}} \mathcal{L}_{\text{offset}} \quad (2)$$

where $\mathcal{L}_{\text{center}}$ is the focal loss (T.-Y. Lin et al. 2017) for the center point, $\mathcal{L}_{\text{size}}$ is the smooth L1 loss (R. Girshick 2015) for the width and height, and $\mathcal{L}_{\text{offset}}$ is the smooth L1 loss for the offset.

Owing to the high precision required for the center-point localization, we set the weight $\lambda_{\text{size}} = 0.1$, which has a lesser association with the center point, and $\lambda_{\text{offset}} = 1.0$. We employed the Adam optimizer (D. P. Kingma & J. Ba 2014) along with a CosineLRScheduler strategy (I. Loshchilov & F. Hutter 2016) for the learning-rate decay. The training parameters are presented in Table 2.

For classification model, we utilized the ResNet18 architecture as our classification model, with a comparative use of ResNet50. The model’s input is an array of size $1 \times 512 \times 512$, with the output being a probability ranging from 0 to 1, activated by the sigmoid function. The loss function employed is BCELoss, accompanied by the Adam optimizer along with a CosineLRScheduler strategy for the learning-rate decay. Training parameters are analogous to those used for CenterNet, with the exception of the batch size, which is set to 32.

4. Experiments

We evaluate our model’s performance utilizing the independent data set from “FAST data set for Fast Radio bursts EXploration” (FAST-FREX; G. Xuerong et al. 2024). This data set comprises 600 burst samples originating from three distinct FRBs. Each burst is stored within a FITS file, which contains approximately 6.04 s of data, along with the best DM value for each burst.

We deploy both the object detection model and binary classification model to search for bursts within the data set, contrasting these techniques with PRESTO as a baseline. All experiments were carried out on a computer with Intel i7-10700K, RTX 2070S, and 32 GB memory.

For the PRESTO search, we adhere to the standard workflow involving the utilization of `rfifind`, `prepsubband`, and `single_pulse_search` commands, sequentially conducting RFI mitigation, generating time-series data through dedispersion at a set of DM values, and searching for potential high-S/N events within the time-series data. Owing to the slow processing times of this tool, we limit our dedispersion to 100 DM values per file, centered around the burst’s optimal DM. For instance, if a burst has a dispersion measure of 550 pc cm^{-3} , we select DM values ranging from 500 to 599 pc cm^{-3} , with a step size of 1 pc cm^{-3} . Despite this restriction, PRESTO still requires an average of 120 s to process a 6 s file. After generating time series for 100 DM

Table 3
Performance Comparison of Different Methods

Method	Threshold ^a	TP	FP	Missed	Duplicates	Precision (%)	Recall (%)	Time (s)
Presto	S/N = 3	520	10,663,950	80	43,044	0.0049	86.7	~120
Presto	S/N = 5	513	17,406	87	40,818	2.8	85.5	...
Presto	S/N = 7	477	4488	123	25,402	9.6	79.5	...
CenterNet-18	$P = 0.5$	580	23	20	...	96.2	96.7	4.51
CenterNet-50	$P = 0.5$	578	20	22	...	96.7	96.3	4.67
ResNet18	$P = 0.5$	600	1	0	...	99.8	100	1.16
ResNet50	$P = 0.5$	600	1	0	...	99.8	100	1.23

Note.

^a For CenterNet and ResNet, P represents the probability that the model’s predicted data contains a true signal, with values ranging from 0 to 1. A threshold of $P > 0.5$ is used to classify a prediction as a true signal.

values, we conduct a single-pulse search and compile the results. We record the number of detected bursts, missed bursts, false positives, and the total count of duplicate detections for the same burst at different DM values at S/N thresholds of 3, 5, and 7.

For the search using our object detection model, we employ ASTROPY (A. M. Price-Whelan et al. 2022) to read the time–frequency data saved in FITS files. We process dedispersion for DM values from 1–1024 pc cm^{−3} with a step of 1 pc cm^{−3} using `numba.cuda`, converting the original time–frequency data to time–DM data, and input this into the pretrained centernet model for prediction. Based on the predicted bounding-box centers, we determine the arrival times and DM values of the detected bursts and tally the number of bursts found, missed, and falsely identified. The model applies nonmaximum suppression during prediction, thereby eliminating multiple counts of the same burst, and thus we do not record duplicates. The CenterNet model, when using ResNet18 as the backbone, processes a 6 s file in roughly 4.5 s, and with ResNet50 as the backbone, needs about 4.7 s, both including the time for file reading, writing, and dedispersion.

Regarding the search performed by our binary classification model, we similarly utilize ASTROPY to read time–frequency data from FITS files. We perform uniform dedispersion based on the DM values for the three FRB sources, then partition the data into nonoverlapping segments, resize these to 512 × 512, and feed them into the trained ResNet model to determine the presence of bursts within the data segments. We also tabulate the number of bursts found, missed, and falsely identified. The process leveraging ResNet18 and ResNet50 are both around 1.2 s to handle a 6 s file, both including the time for file reading, writing, and dedispersion. The results are shown in Table 3.

As the benchmark, PRESTO exhibits an increasing aptitude to recall signals as the S/N threshold is lowered. However, the increment in genuine signals from an S/N drop from 5 to 3 is markedly less than that experienced in a reduction from 7 to 5, while the number of spurious signals has surged considerably. The optimal recall rate peaked at 86.7%. Notably, our application of PRESTO was confined to processing only 100 DM values. If we were to extend the dedispersion to 1024 DM values, akin to CenterNet, the computational burden would escalate by an order of magnitude, implying a tenfold increase in data-processing time. This would lead to an increase in false signals without a commensurate rise in real ones.

In stark contrast, the object detection and classification models both approach a near-perfect recall rate, also upholding

exceedingly high precision, thus demonstrating efficiencies far exceeding those of traditional search methods. Figure 6 illustrates some signal examples inferred through CenterNet, which highlights the model’s resilience; it adeptly discerns the “bow-tie” signature characteristic of FRBs, despite the significant scale variances occurring due to the disparities in signal strength of FRB events, spanning several orders of magnitude. The model’s robustness is showcased as it remains functional even under the challenging conditions posed by such intense variations in the magnitude of the signal bursts.

To demonstrate the effectiveness of our classification model, specifically its ability to accurately identify the presence of a burst in an image and thus classify the data as true, we utilize Grad-CAM++ (A. Chattopadhyay et al. 2018) to visualize the regions in the image that significantly influence the network’s decision. Gradient-weighted class activation mapping (Grad-CAM) is a technique that provides visual explanations for decisions made by CNNs (R. R. Selvaraju et al. 2017). It generates class-specific activation maps using gradient information, highlighting the important regions in the input image that contribute to the model’s prediction. The process involves computing gradients of the target class score concerning feature maps of the last convolutional layer, which are then globally averaged to obtain the importance weights. Grad-CAM++ is an enhanced version of Grad-CAM that offers more precise and detailed visual explanations, especially when multiple objects are present in the image (A. Chattopadhyay et al. 2018).

Figure 7 shows the results of Grad-CAM++ visualization, containing eight instances of data classified as true by the model. Columns in Figure 7 represent the original data, the visualization of the critical regions influencing the network’s decision using Grad-CAM++, and the result of superimposing these regions on the original data. It is evident that the model’s attention is indeed focused on the location of the burst. Even when the burst is at the edge (Figures 7(B) and (D)), or there is strong interference in the data (Figures 7(F) and (G)), even in the noise-injected data (Figure 7(H)), the model can still make accurate and effective judgments.

Additionally, we observe that ResNet50 performs similarly to ResNet18 in both object detection and classification frameworks. Therefore, to balance computational efficiency with model performance, we choose ResNet18 as the backbone network for both CenterNet and the classification model.

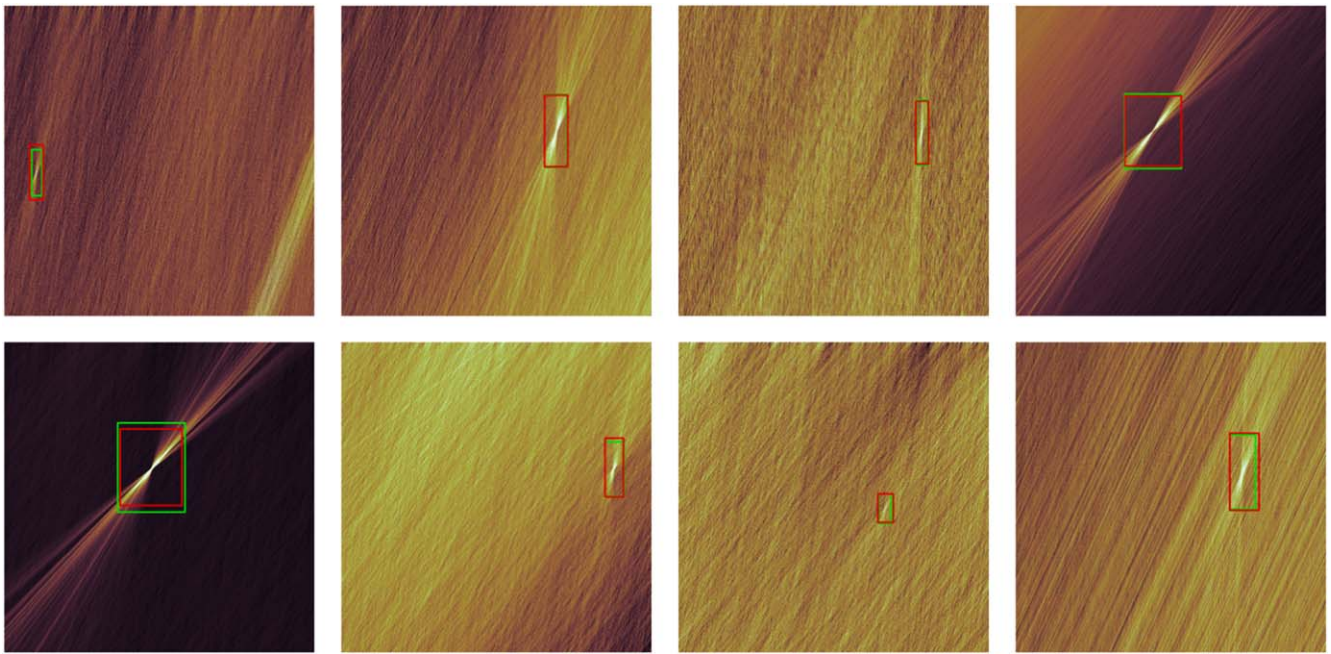


Figure 6. Examples of detected signals using CenterNet. The green boxes indicate the ground-truth labels, and the red boxes are the predicted labels.

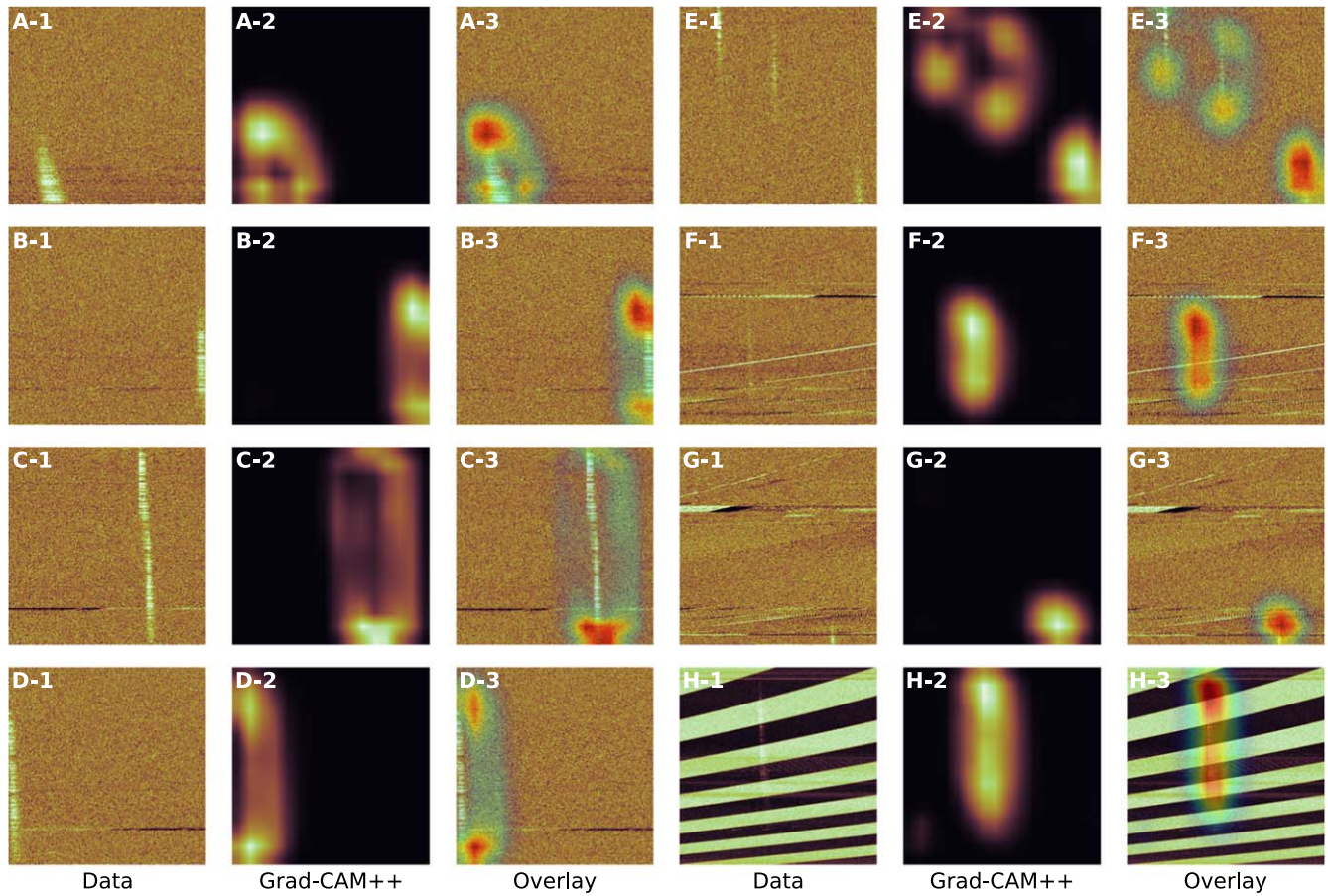


Figure 7. Examples of detected signals using ResNet. A–H are eight instances of data classified as true by the classification model, where 1, 2, and 3 represent the original data, the regions in the image that significantly influence the network’s decision visualized using Grad-CAM++, and the result of superimposing these regions on the original data, respectively.

Table 4
FAST Observation Details of FRB 20190520B

Date	Start MJD (topocentric)	Duration (minutes)	Old Number (C. H. Niu et al. 2022)	Added Number (This Paper)	Total Number	Average Burst Rate (hr^{-1})
20200424	58963.742361111	108.0	2	4	6	3.3
20200522	58991.664768519	118.0	13	9	22	11.2
20200730	59060.475694444	16.0	1	3	4	15.0
	59060.494490741	91.9	2	15	17	11.1
20200731	59061.490902778	83.1	12	16	28	20.2
20200806	59067.462800926	14.1	1	1	2	8.5
	59067.479467593	79.6	5	33	38	28.6
20200808	59069.451388889	10.4	0	1	1	5.8
	59069.465277778	90.0	3	27	30	20.0
20200810	59071.445833333	14.5	0	2	2	8.3
	59071.462141204	87.0	3	8	11	7.6
20200812	59073.441342593	10.0	0	1	1	6.0
	59073.452627315	93.6	3	13	16	10.3
20200814	59075.437835648	10.9	0	2	2	11.0
	59075.451944444	69.5	5	17	22	19.0
20200816	59077.430555556	10.0	0	4	4	23.9
	59077.444629630	90.2	20	7	27	18.0
20200828	59089.413194444	60.0	2	10	12	12.0
20200919	59111.346608796	6.7	0	0	0	0.0
	59111.356840278	36.4	3	10	13	21.4
Total		1100	75	183	258	14.1

5. Applications to FRB 20190520B

To further validate the capability of DRAFTS, we applied the model to the 2020 FAST observation data of FRB 20190520B. In C. H. Niu et al. (2022), the discovery of FRB 20190520B was reported, and multiple observations of this FRB were conducted between 2020 April 24 and 2020 September 19. During this period, a total of 75 bursts were detected using HEIMDALL, with an estimated event rate of $4.5_{-1.5}^{+1.9} \text{ hr}^{-1}$. The details of each observation, including the start time and duration of each session, are listed in Table 4.

We re-searched this data using DRAFTS and detected all 75 previously discovered bursts, along with an additional 183 new bursts, more than doubling the original number of detected bursts and bringing the maximum event rate during this period to 28.6 hr^{-1} . The arrival times of these 183 bursts are listed in Table 5, and their dynamic spectra are shown in Figure 10 in Appendix B.

We further estimated the event rate during this period using waiting-time analysis. Figure 8 shows the waiting-time distribution of FRB 20190520B, including the newly detected bursts. Although the left peak is not very prominent, the overall distribution still exhibits a bimodal pattern, with the right peak corresponding to the FRB's active phase (Y.-K. Zhang et al. 2024). We fitted the waiting-time distribution for intervals longer than 1 s using both exponential and Weibull distributions. For the fitting, we employed the EMCEE package to perform maximum-likelihood estimation of the fitting parameters. For the exponential distribution, we defined the likelihood function as

$$L(\lambda|t) = \sum_i \log(\lambda e^{-\lambda t}) \quad (3)$$

where t represents the waiting time, and $1/\lambda$ corresponds to the event rate.

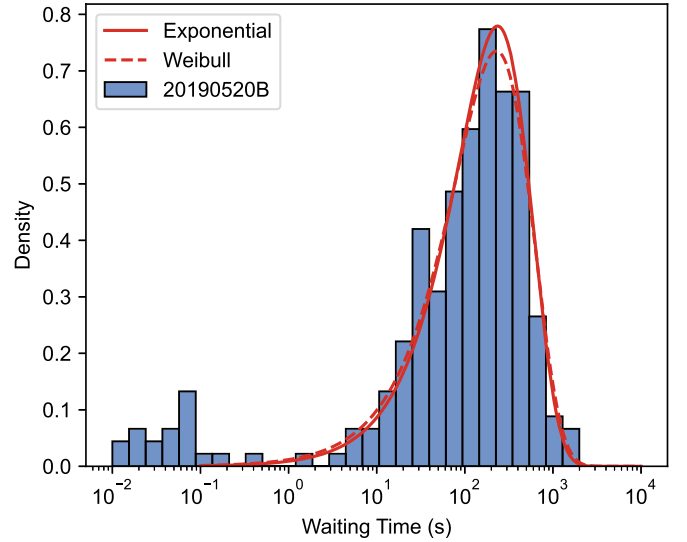


Figure 8. Waiting-time distribution of FRB 20190520B. The red solid line represents the exponential distribution fit, the red dashed line represents the Weibull distribution fit, and the blue bars represent the waiting-time distribution of FRB 20190520B.

For the Weibull distribution, the likelihood function is defined as

$$L(\lambda, k|t) = \sum_i \log \left[\frac{k}{\lambda} \left(\frac{t}{\lambda} \right)^{k-1} e^{-(t/\lambda)^k} \right] \quad (4)$$

where k is the shape parameter and λ is the scale parameter. The event rate corresponds to the reciprocal of the Weibull distribution's expected value, i.e., $1/[\lambda\Gamma(1+1/k)]$.

As shown in Figure 8, both distributions provide a good fit to the waiting-time distribution of FRB 20190520B. The event rate estimated from the exponential fit is $15.29_{-0.99}^{+1.02} \text{ hr}^{-1}$, while the

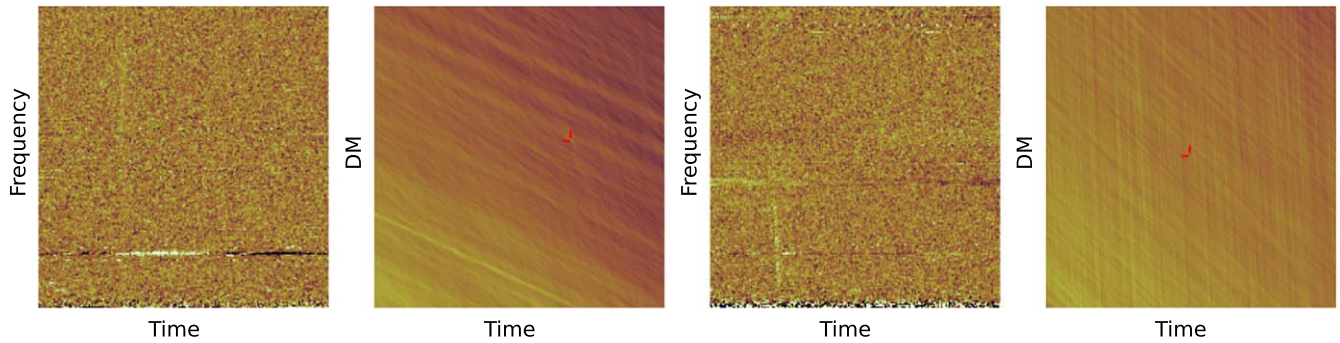


Figure 9. Two examples of omitted signals. The first and third columns show the time–frequency plots of two bursts; the second and fourth columns display the time–DM plots. The expected bursts’ locations in the time–DM plots are marked by red lines.

Weibull fit yields an event rate of $15.29^{+1.11}_{-1.07} \text{ hr}^{-1}$ with a shape parameter $k = 0.94^{+0.05}_{-0.05}$. The two estimates are nearly identical and close to the average event rate estimated in Table 4. Furthermore, for the Weibull distribution, k is close to 1. In fact, when $k = 1$, the Weibull distribution reduces to an exponential distribution. Therefore, we can reasonably conclude that the bursts of FRB 20190520B can be considered as samples from a Poisson process with a constant event rate of 15.29 hr^{-1} , indicating that this FRB is far more active than previously thought.

Testing on the complete set of real observation data from FAST further confirms that DRAFTS is effective in detecting FRBs. The number of bursts identified by DRAFTS is more than 3 times higher than that detected by HEIMDALL, which holds substantial importance for subsequent statistical analyses.

6. Limitations and Conclusions

As shown in Table 3, the classification model manifests a recall rate of 100%, while CenterNet’s recall rate is marginally below this benchmark. Figure 9 embodies the time–frequency and time–dispersion plots for two specific burst events identified by the classification model but overlooked by the object detection model. It is evident from the plots that the signals from these bursts are exceedingly weak, and the “bow-tie” feature within the time–dispersion plots is ambiguously defined—practically invisible to the naked eye. Thus, it is understandable that these signals eluded detection by the object detection model.

This calls for the advancement of our methodology concerning the conversion of raw time–frequency data to time–dispersion data, with a special emphasis on improving the visibility of weaker signals. Enhancing this process would potentially mitigate the issue of nondetection in target models and lead to a more reliable and efficient identification of transient astronomical events driven by faint signals.

In conclusion, we have developed a comprehensive training data set of large-scale, real-world data for FRB searches and created DRAFTS, an advanced tool that integrates object detection with binary classification to identify FRBs in radio data. Our experiments reveal that DRAFTS significantly outperforms traditional methods in detection speed, accuracy, and completeness. This pipeline not only facilitates real-time FRB detection but also holds potential for application in other radio transient searches.

Future work will focus on enhancing the visibility of faint signals within time–dispersion plots, improving the overall efficiency of the search pipeline, and adding more data in the training set. The deployment of DRAFTS represents a

groundbreaking and reliable approach, offering substantial benefits for observational campaigns. By employing this workflow, we anticipate a notable acceleration in the detection of radio transients, which will in turn drive a deeper understanding of the physical mechanisms behind these extreme cosmic events. Furthermore, DRAFTS provides a powerful impetus and essential tools for exploring the uncharted territories of the Universe, ultimately contributing to our broader knowledge of cosmic phenomena.

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Software: astropy (A. M. Price-Whelan et al. 2022), numba (S. K. Lam et al. 2015), Pytorch (A. Paszke et al. 2019).

Appendix A

Arrival Times of Detected Bursts from FRB 20190520B

We present in Table 5 the arrival times of 75 bursts detected by Heimdall plus 183 new bursts detected by DRAFTS during a total of 18.3 hr of observation with FAST from 2020 April 24 to September 19 along with their corresponding observation dates. On some dates, the observations were divided into two sessions, which we labeled as Date-1 and Date-2 to indicate the separate observations on the same day.

Table 5
MJD of Arrival Times for FRB 20190520B

Burst ID	MJD ^a	Date ^b	Burst ID	MJD ^a	Date ^b	Burst ID	MJD ^a	Date ^b
Newly Detected Bursts Using DRAFTS								
B001	58963.753958080	20200424	B062	59067.502978234	20200806-2	B123	59073.458422907	20200812-2
B002	58963.770184740	20200424	B063	59067.503231597	20200806-2	B124	59073.458586656	20200812-2
B003	58963.770865928	20200424	B064	59067.504781097	20200806-2	B125	59073.461018945	20200812-2
B004	58963.808134276	20200424	B065	59067.505167148	20200806-2	B126	59073.464894870	20200812-2
B005	58991.676149829	20200522	B066	59067.506972167	20200806-2	B127	59073.471089860	20200812-2
B006	58991.681677339	20200522	B067	59067.511287838	20200806-2	B128	59073.474148791	20200812-2
B007	58991.687041934	20200522	B068	59067.511635139	20200806-2	B129	59073.483559837	20200812-2
B008	58991.687858426	20200522	B069	59067.513425862	20200806-2	B130	59073.486190472	20200812-2
B009	58991.696814811	20200522	B070	59067.518125365	20200806-2	B131	59073.490224233	20200812-2
B010	58991.701210940	20200522	B071	59067.518575780	20200806-2	B132	59073.505812649	20200812-2
B011	58991.714680346	20200522	B072	59067.518906594	20200806-2	B133	59073.514778195	20200812-2
B012	58991.733097018	20200522	B073	59067.522778481	20200806-2	B134	59075.442356225	20200814-1
B013	58991.739498157	20200522	B074	59067.525342925	20200806-2	B135	59075.443059359	20200814-1
B014	59060.480277680	20200730-1	B075	59067.525688371	20200806-2	B136	59075.458608135	20200814-2
B015	59060.481182843	20200730-1	B076	59067.525748592	20200806-2	B137	59075.460956536	20200814-2
B016	59060.483628231	20200730-1	B077	59067.527927305	20200806-2	B138	59075.464442699	20200814-2
B017	59060.500614681	20200730-2	B078	59067.527976492	20200806-2	B139	59075.467864833	20200814-2
B018	59060.528391399	20200730-2	B079	59067.527977138	20200806-2	B140	59075.471004584	20200814-2
B019	59060.528752528	20200730-2	B080	59067.528148897	20200806-2	B141	59075.471743866	20200814-2
B020	59060.529584944	20200730-2	B081	59067.531950533	20200806-2	B142	59075.471744903	20200814-2
B021	59060.530094435	20200730-2	B082	59069.452864158	20200808-1	B143	59075.472468242	20200814-2
B022	59060.536139806	20200730-2	B083	59069.465588641	20200808-2	B144	59075.477403204	20200814-2
B023	59060.536711714	20200730-2	B084	59069.466031951	20200808-2	B145	59075.479022054	20200814-2
B024	59060.542483004	20200730-2	B085	59069.466841138	20200808-2	B146	59075.479137089	20200814-2
B025	59060.544197134	20200730-2	B086	59069.472180281	20200808-2	B147	59075.481013426	20200814-2
B026	59060.546182273	20200730-2	B087	59069.472342565	20200808-2	B148	59075.482251647	20200814-2
B027	59060.546973407	20200730-2	B088	59069.476379684	20200808-2	B149	59075.486885993	20200814-2
B028	59060.551389491	20200730-2	B089	59069.480358138	20200808-2	B150	59075.487163115	20200814-2
B029	59060.552381810	20200730-2	B090	59069.480654383	20200808-2	B151	59075.488591853	20200814-2
B030	59060.552999128	20200730-2	B091	59069.481851782	20200808-2	B152	59075.489545069	20200814-2
B031	59060.553319676	20200730-2	B092	59069.482092574	20200808-2	B153	59077.431731064	20200816-1
B032	59061.497093144	20200731	B093	59069.486802716	20200808-2	B154	59077.433249180	20200816-1
B033	59061.500199528	20200731	B094	59069.488261607	20200808-2	B155	59077.434196579	20200816-1
B034	59061.503304566	20200731	B095	59069.493983403	20200808-2	B156	59077.435368080	20200816-1
B035	59061.503605827	20200731	B096	59069.496322401	20200808-2	B157	59077.456186297	20200816-2
B036	59061.505380004	20200731	B097	59069.504392562	20200808-2	B158	59077.460669274	20200816-2
B037	59061.507535918	20200731	B098	59069.504842690	20200808-2	B159	59077.466908013	20200816-2
B038	59061.510490722	20200731	B099	59069.504963898	20200808-2	B160	59077.473437142	20200816-2
B039	59061.510702601	20200731	B100	59069.505030985	20200808-2	B161	59077.476236056	20200816-2
B040	59061.513361812	20200731	B101	59069.508373735	20200808-2	B162	59077.477652805	20200816-2
B041	59061.518917368	20200731	B102	59069.510679931	20200808-2	B163	59077.480078652	20200816-2
B042	59061.525294977	20200731	B103	59069.513873763	20200808-2	B164	59089.422578365	20200828
B043	59061.531004139	20200731	B104	59069.514277920	20200808-2	B165	59089.426408841	20200828
B044	59061.532807852	20200731	B105	59069.518708503	20200808-2	B166	59089.428926655	20200828
B045	59061.542664556	20200731	B106	59069.518777351	20200808-2	B167	59089.434616349	20200828
B046	59061.547473763	20200731	B107	59069.519294932	20200808-2	B168	59089.438048012	20200828
B047	59061.548427662	20200731	B108	59069.522911272	20200808-2	B169	59089.443650739	20200828
B048	59067.463647943	20200806-1	B109	59069.525875712	20200808-2	B170	59089.443845199	20200828
B049	59067.480205948	20200806-2	B110	59071.451254334	20200810-1	B171	59089.451226974	20200828
B050	59067.481172292	20200806-2	B111	59071.453382840	20200810-1	B172	59089.451227866	20200828
B051	59067.482660405	20200806-2	B112	59071.469047453	20200810-2	B173	59089.454059447	20200828
B052	59067.484752349	20200806-2	B113	59071.470776754	20200810-2	B174	59111.359668520	20200919-2
B053	59067.485940012	20200806-2	B114	59071.478912028	20200810-2	B175	59111.362133525	20200919-2
B054	59067.488051465	20200806-2	B115	59071.487867787	20200810-2	B176	59111.363547425	20200919-2
B055	59067.489458573	20200806-2	B116	59071.496511074	20200810-2	B177	59111.364054532	20200919-2
B056	59067.491462488	20200806-2	B117	59071.499713051	20200810-2	B178	59111.365293865	20200919-2
B057	59067.493311787	20200806-2	B118	59071.500538800	20200810-2	B179	59111.366311841	20200919-2
B058	59067.493315628	20200806-2	B119	59071.5116139769	20200810-2	B180	59111.368587448	20200919-2
B059	59067.496107313	20200806-2	B120	59073.445652004	20200812-1	B181	59111.373554797	20200919-2
B060	59067.496636351	20200806-2	B121	59073.454481887	20200812-2	B182	59111.377382763	20200919-2
B061	59067.500936084	20200806-2	B122	59073.457517769	20200812-2	B183	59111.379347916	20200919-2

Bursts Detected Using HEIMDALL in C. H. Niu et al. (2022)

Table 5
(Continued)

Burst ID	MJD ^a	Date ^b	Burst ID	MJD ^a	Date ^b	Burst ID	MJD ^a	Date ^b
B001	58963.760965927	20200424	B026	59061.533633287	20200731	B051	59077.447490299	20200816-2
B002	58963.785093305	20200424	B027	59061.533634057	20200731	B052	59077.447490993	20200816-2
B003	58991.677837129	20200522	B028	59061.534968368	20200731	B053	59077.448090352	20200816-2
B004	58991.679623921	20200522	B029	59061.536363277	20200731	B054	59077.448491142	20200816-2
B005	58991.680362002	20200522	B030	59061.538893001	20200731	B055	59077.448491331	20200816-2
B006	58991.698122948	20200522	B031	59067.465150308	20200806-1	B056	59077.458653273	20200816-2
B007	58991.698124545	20200522	B032	59067.484346541	20200806-2	B057	59077.459056942	20200816-2
B008	58991.711183404	20200522	B033	59067.484347120	20200806-2	B058	59077.464848734	20200816-2
B009	58991.711364585	20200522	B034	59067.500301102	20200806-2	B059	59077.467268826	20200816-2
B010	58991.711703334	20200522	B035	59067.507509019	20200806-2	B060	59077.468457071	20200816-2
B011	58991.711703739	20200522	B036	59067.532858711	20200806-2	B061	59077.473602320	20200816-2
B012	58991.711704151	20200522	B037	59069.493704768	20200808-2	B062	59077.473884892	20200816-2
B013	58991.728936089	20200522	B038	59069.498991812	20200808-2	B063	59077.476002554	20200816-2
B014	58991.744126136	20200522	B039	59069.512791794	20200808-2	B064	59077.484007217	20200816-2
B015	58991.744126888	20200522	B040	59071.470504066	20200810-2	B065	59077.484007333	20200816-2
B016	59060.481445628	20200730-1	B041	59071.470504297	20200810-2	B066	59077.488582821	20200816-2
B017	59060.504831208	20200730-2	B042	59071.489679757	20200810-2	B067	59077.489969540	20200816-2
B018	59060.522934761	20200730-2	B043	59073.495060445	20200812-2	B068	59077.496363178	20200816-2
B019	59061.509817871	20200731	B044	59073.513431187	20200812-2	B069	59077.496514387	20200816-2
B020	59061.509818073	20200731	B045	59073.513431997	20200812-2	B070	59077.497517645	20200816-2
B021	59061.513340574	20200731	B046	59075.452713325	20200814-2	B071	59089.427874939	20200828
B022	59061.513341512	20200731	B047	59075.453222841	20200814-2	B072	59089.435877444	20200828
B023	59061.513342044	20200731	B048	59075.470543041	20200814-2	B073	59111.372277248	20200919-2
B024	59061.521404592	20200731	B049	59075.482549483	20200814-2	B074	59111.372277387	20200919-2
B025	59061.532697673	20200731	B050	59075.494828132	20200814-2	B075	59111.372729390	20200919-2

Notes.^a Topocentric MJD at 1.5 GHz.^b In the observation details shown in Table 4 from FAST, some dates correspond to two separate observation sessions. In this table, “-1” and “-2” after the date indicate the first and second observation sessions on that day, respectively.

Appendix B

Dynamic Spectrum of Newly Detected Bursts from FRB 20190520B

In Figure 10, we present the dynamic spectra of 183 new bursts detected by DRAFTS, with some plots containing more than one burst.

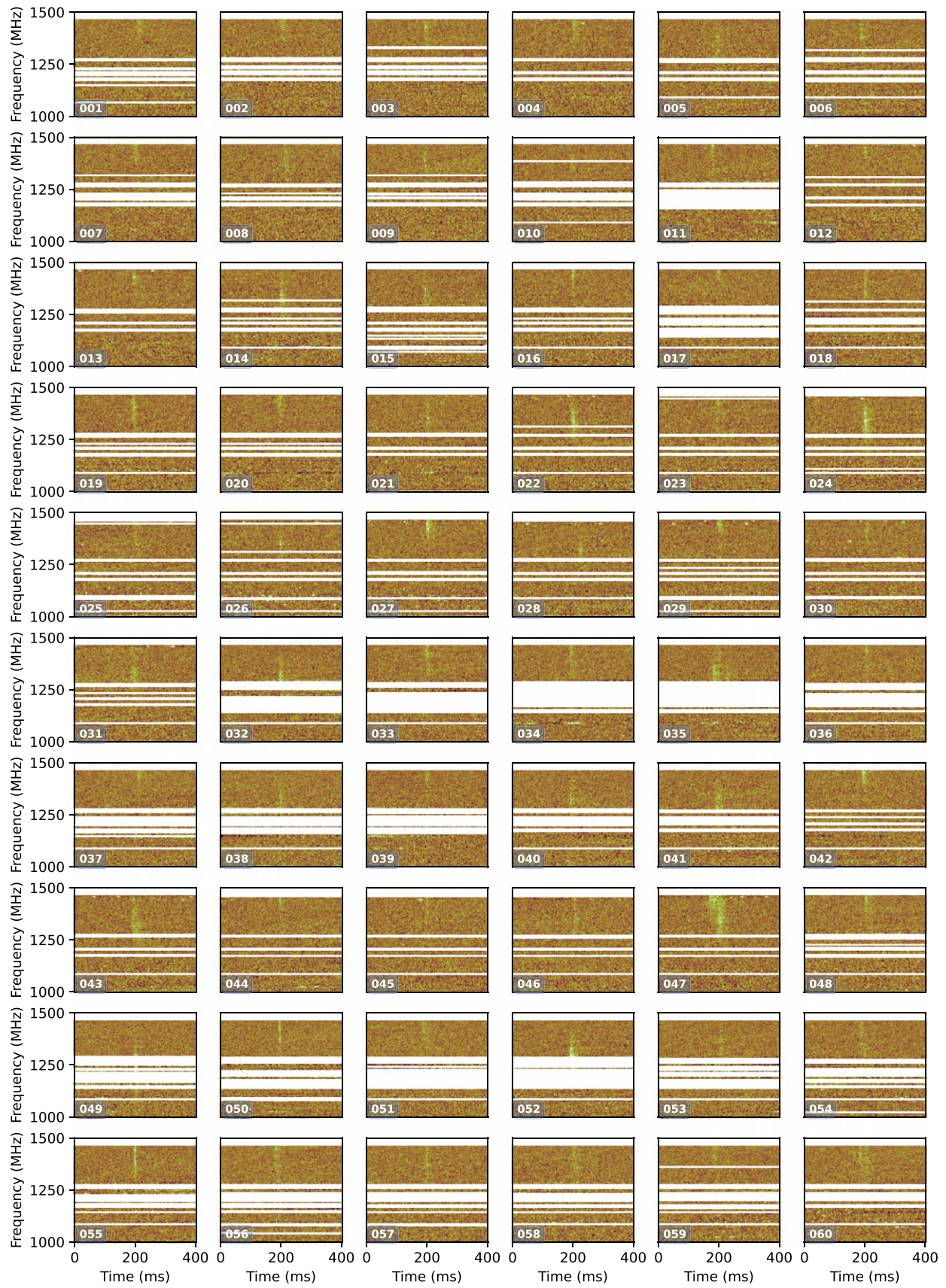


Figure 10. 183 newly detected bursts from FRB 20190520B.

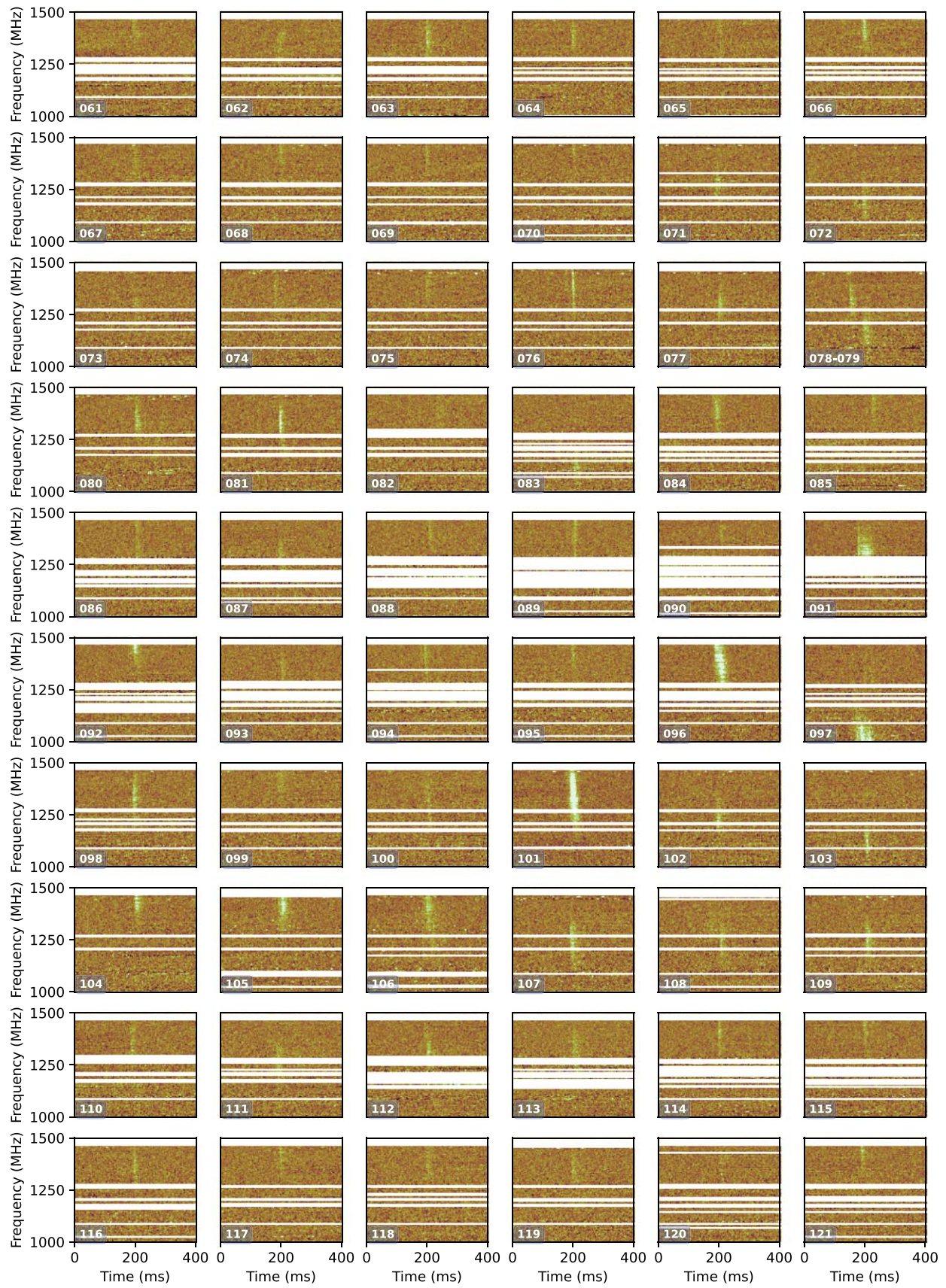


Figure 10. (Continued.)

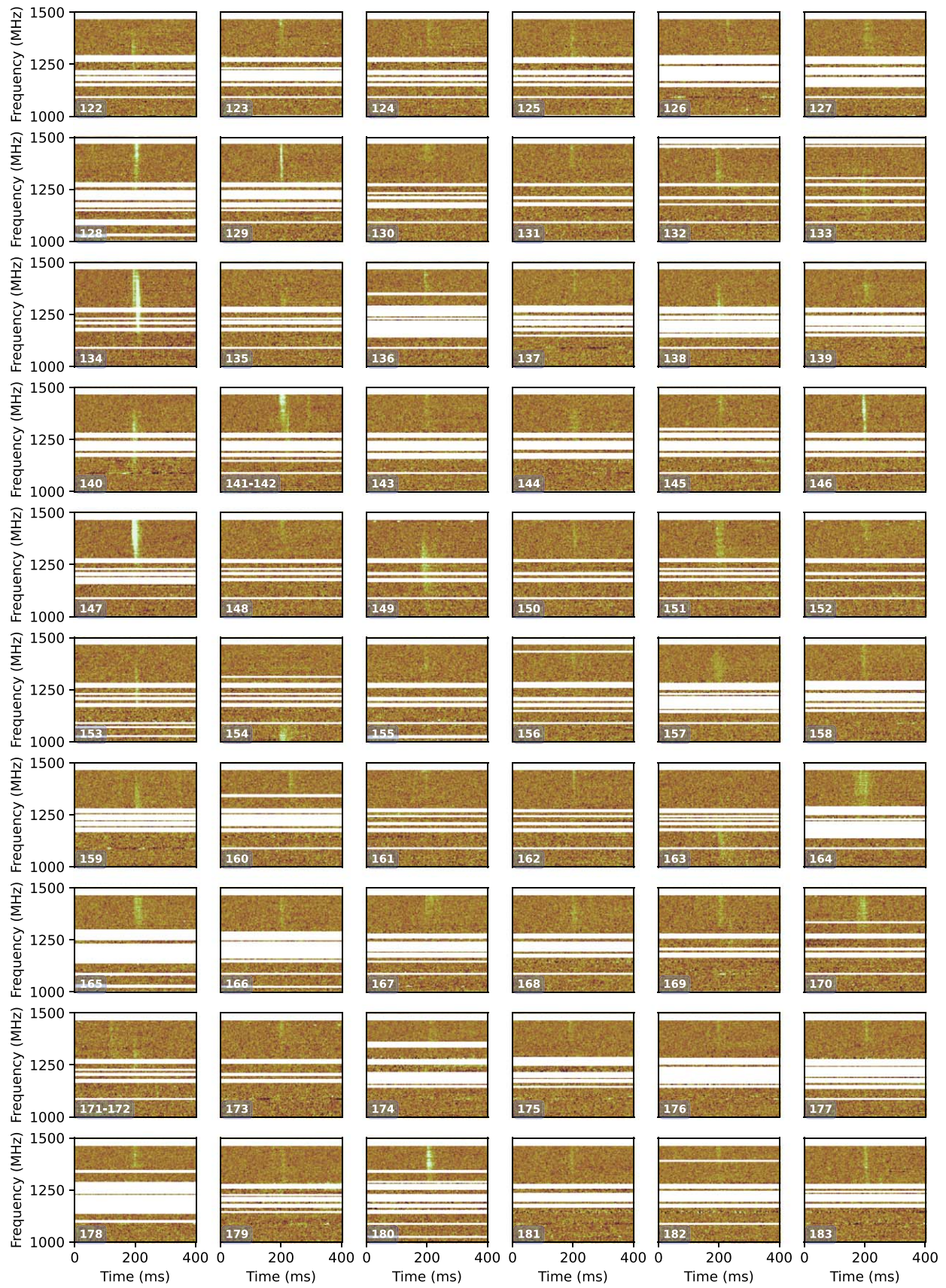


Figure 10. (Continued.)

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